

SAMPLE

objects that are collected for study

each member possesses properties, which may be quantitative discrete

(e.g., savannah elephants gender, weight, teeth)

PROBABILITY THEORY 1

 $P(j) = n_j / n$

n_j enumerates members that are known to exhibit property j

n enumerates members in sample

(e.g., savannah elephants with 6 teeth)

INFORMATION

conditions probabilities

can enable absolute P(j)s to be used (*i.e.*, if information is complete)

(e.g., biased flipping coin)

PROPERTIES 1

Mutually Exclusive

j, k: no member can possess both

$$P(j \text{ or } k) = n_{j \text{ or } k} / n = P(j) + P(k)$$

 $P(~j) = n_{-j} / n = 1 - P(j)$

PROBABILITY THEORY 2

Normalised

 $P(0) + P(1) + P(2) + ... = \Sigma P(j) = 1$

if P(j) ∝ f(j), then normalisation can be achieved

P(j) = c f(j)

 $c = 1 / \Sigma f(j)$

PROPERTIES 2

Correlated

j, k: knowledge about one affects probability distribution for the other

Uncorrelated (Independent)

P(j) = c f(j) whatever value k is known to exhibit

ТЕЕТН			
AGE	2 P(2)	4	6
10	P _{10 and 2}	$P_{10 \text{ and } 4}$	P _{10 and 6}
20	P _{20 and 2}	$P_{20 \text{ and } 4}$	$P_{20 \text{ and } 6}$
30	P _{30 and 2}	P_{30and4}	P_{30and6}
40	P _{40 and 2}	$P_{40 \text{ and } 4}$	$P_{40 \text{ and } 6}$
50	P _{50 and 2}	P _{50 and 4}	$P_{50 \text{ and } 6}$



PROBABILITY THEORY 3

Joint, Reducing Probability

 $P(j \text{ and } k) = n_{j \text{ and } k} / n$ high order

 $P(j) = \Sigma P(j \text{ and } k)$, sum over k low order

 $P(k) = \Sigma P(j \text{ and } k)$, sum over j low order

PROPERTIES & PROBABILITIES

Independent

$$P(j) = n_j / n = n_{j \text{ and } k} / n_k$$

P(j and k) = P(j) P(k)